DOI: 10.29026/oes.2022.210005

# Charge carrier dynamics in different crystal phases of CH<sub>3</sub>NH<sub>3</sub>PbI<sub>3</sub> perovskite

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Supplementary information for this paper is available at https://doi.org/10.29026/oes.2022.210005



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### Section 1: Additional measurements



**Fig. S1** | Atomic force microscopy (AFM) surface profiles of (**a**) PEDOT:PSS and (**b**) PTAA polymers prior to CH<sub>3</sub>NH<sub>3</sub>Pbl<sub>3</sub> perovskite deposition. Scanning electron microscopy (SEM) photos of the CH<sub>3</sub>NH<sub>3</sub>Pbl<sub>3</sub> perovskite structure grown on (**c**) PEDOT:PSS and (**d**) PTAA hole transport layers and (**e**) the XRD pattern for all studied architectures. Taken from ref.<sup>2</sup>, except the XRD pattern for Glass/CH<sub>3</sub>NH<sub>3</sub>Pbl<sub>3</sub> configuration in (e).



Fig. S2 | Photographs of the shape of a 5 µL de-ionized water droplet on PEDOT:PSS (a) and PTAA (b) polymer substrates that provide the corresponding contact angles. Taken from ref.<sup>2</sup>.



Fig. S3 | Perovskite/HTL architecture components that used for TAS measurements.



Fig. S4 | Schematic representation of Newport Transient Absorption Spectrometer (TAS-1) and the cryostat that used for the low temperatures TAS measurements.



Fig. S5 | Janis VPF-100 cryostat, integrated into the TAS setup.





Fig. S6 | Normalized optical density ( $\Delta$ OD) vs delay time for PEDOT:PSS/CH<sub>3</sub>NH<sub>3</sub>PbI<sub>3</sub> and PTAA/CH<sub>3</sub>NH<sub>3</sub>PbI<sub>3</sub> configurations for the orthorhombic phase at (a) 85 K, (b) 120 K and for the tetragonal phase at (c) 120 K and (d) 180 K. Symbols present the transient band edge bleach kinetics, while solid lined present the high-order polynomial fitting.

### Section 3: TAS error fitting analysis

We choose the appropriate equation and fitting model (ExpDec3) because there are three different phenomena that take place in the solar cell device when it's irradiated by light, the charge carrier trapping ( $\tau_1$ ), the hole injection ( $\tau_2$ ) and the exciton recombination ( $\tau_3$ ). Before we fit our data, we narrow the range of  $\tau_1$  and  $\tau_2$  and  $y_0$ . Specifically, we narrow the time ranges for  $\tau_1$ ,  $\tau_2$ , from 5 ps up to 30 ps and from 50 ps up to 600 ps, respectively, for both configurations in order to obtain fast and efficient hole injection from the perovskite layer to hole transport layer. Moreover, we narrow also the constant,  $y_0$ , of our equation between 0 and the lowest value of  $\Delta$ OD, because in the time range of our setup is impossible not to have excited electrons in the conduction band of the perovskite layer.

Additionally, in Tables S1, 2 we present the further analysis at 180 K for both configurations for tri-exponential fitting model that we use. We have to mention that the same trend was observed also for 85 K and 120 K for both architectures. Especially, in Tables S1, S2(a) we show the optimum fitting without any fixed term (fitting software internal algorithm provides best fit, only from a mathematical point of view). Tables S1, S2 (b) present the time components in which the  $y_0$  and  $\tau_1$  are fixed in the values from the optimum fitting. We obtain that the deviation of  $\tau_2$  and  $\tau_3$  is within the error that we have already presented in the manuscript. Moreover, Tables S1, S2 (c) show the corresponding fitting when only  $\tau_2$  is fixed in the optimum value. With this procedure, we take unrealistic  $\tau_1$  and  $\tau_3$  for the perovskite solar cell. Finally, in Tables S1, S2 (d, f) we present the time components when the  $\tau_3$  is fixed with lower and higher compared with the  $\tau_3$  value extracted from the optimum value, respectively. In both cases, the  $\tau_2$  value is too slow to present the hole injection from the perovskite to the hole transport layer.

In order to eliminate any doubts about the fitting uncertainties in Table S3, 4 we present the lower and upper limits for each time component for both configurations. In both cases (PEDOT:PSS/CH<sub>3</sub>NH<sub>3</sub>PbI<sub>3</sub> and PTAA/CH<sub>3</sub>NH<sub>3</sub>PbI<sub>3</sub>) the errors for the  $\tau_1$ ,  $\tau_2$  and  $\tau_3$  are 2 ps, 8 ps and 13 ps, respectively. Within these limits, we obtain values for time components that are reasonable for the operation of the perovskite solar cell. Firstly, we initiate an upper and a lower limits

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# Table S1 | Fitting analysis at 180 K for PEDOT: PSS/CH<sub>3</sub>NH<sub>3</sub>Pbl<sub>3</sub> configuration. (a) The optimum fitting. (b) $y_0$ and $\tau_1$ are fixed. (c) $\tau_2$ is fixed, and (d-f) $\tau_3$ is fixed.

(a)Model	ExpDec3	(b)Model	ExpDec3	(c)Model	ExpDec3	
Equation	$y=A_1 \times \exp(-x/\tau_1) + A_2 \times \exp(-x/\tau_2) + A_3 \times \exp(-x/\tau_3) + y_0$	Equation	$y=A_1 \times \exp(-x/\tau_1) + A_2 \times \exp(-x/\tau_2) + A_3 \times \exp(-x/\tau_3) + y_0$	Equation	$y=A_1 \times \exp(-x/\tau_1) + A_2 \times \exp(-x/\tau_2) + A_3 \times \exp(-x/\tau_3) + y_0$	
Plot	DeltaOD	Plot	DeltaOD	Plot	DeltaOD	
<b>y</b> <sub>0</sub>	0.00858±5.48E-4	<b>y</b> <sub>0</sub>	0.009±0	<b>y</b> <sub>0</sub>	0.0065±0.0029	
τ <sub>1</sub>	14.7±1.95	<i>T</i> <sub>1</sub>	14.7±0	<i>T</i> <sub>1</sub>	467.2±8.1E5	
τ <sub>2</sub>	266±7.85	T <sub>2</sub>	260±2.79	<b>T</b> <sub>2</sub>	266±0	
<b>T</b> 3	933±12.60	<b>T</b> <sub>3</sub>	944±9.81	<b>T</b> <sub>3</sub>	540±7.4E5	
Adj. R-Square	0.9978	Adj. R-Square	0.9977	Adj. R-Square	0.9971	
( 1)				(0)		
(d)Model	ExpDec3	(e)Model	ExpDec3	(f) Model	ExpDec3	
(d)Model Equation	ExpDec3 $y=A_1 \times \exp(-x/\tau_1)+A_2 \times \exp(-x/\tau_2)+A_3 \times \exp(-x/\tau_3)+y_0$	(e)Model Equation	ExpDec3 $y=A_1 \times \exp(-x/r_1)+A_2 \times \exp(-x/r_2)+A_3 \times \exp(-x/r_3)+y_0$	(f) Model Equation	ExpDec3 y=A <sub>1</sub> ×exp (-x/r <sub>1</sub> )+A <sub>2</sub> ×exp (-x/r <sub>2</sub> )+ A <sub>3</sub> ×exp (-x/r <sub>3</sub> )+y <sub>0</sub>	
(d)Model Equation Plot	ExpDec3 $y=A_1 \times \exp(-x/\tau_1)+A_2 \times \exp(-x/\tau_2)+A_3 \times \exp(-x/\tau_3)+y_0$ DeltaOD	(e)Model Equation Plot	ExpDec3 y=A,×exp (-x/r <sub>1</sub> )+A <sub>2</sub> ×exp (-x/r <sub>2</sub> )+ A <sub>3</sub> ×exp (-x/r <sub>3</sub> )+y <sub>0</sub> DeltaOD	(f) Model Equation Plot	ExpDec3 y=A <sub>1</sub> ×exp (-x/r <sub>1</sub> )+A <sub>2</sub> ×exp (-x/r <sub>2</sub> )+ A <sub>3</sub> ×exp (-x/r <sub>3</sub> )+y <sub>0</sub> DeltaOD	
(d)Model Equation Plot y₀	ExpDec3 y=A,×exp(-x/r_1)+A,×exp(-x/r_2)+ A_3×exp(-x/r_3)+y_0 DeltaOD 0.0072±0.0025	(e)Model Equation Plot <i>y</i> <sub>0</sub>	$\frac{\text{ExpDec3}}{y=A_{1}\times\exp(-x/\tau_{1})+A_{2}\times\exp(-x/\tau_{2})+A_{3}\times\exp(-x/\tau_{3})+y_{0}}$ DeltaOD 0.00838±1.3E-4	(f) Model Equation Plot <i>y</i> <sub>0</sub>	$\begin{array}{c} ExpDec3 \\ y=A, \times exp (-x/r_1)+A_2 \times exp (-x/r_2)+ \\ A_3 \times exp (-x/r_3)+y_0 \\ \hline \\ DeltaOD \\ 0.0059\pm 0.0011 \end{array}$	
(d)Model Equation Plot <i>Y</i> <sub>0</sub> <i>T</i> <sub>1</sub>	ExpDec3 y=A,xexp(-x/r_1)+A,xexp(-x/r_2)+ A_3xexp(-x/r_3)+y_0 DeltaOD 0.0072±0.0025 45.14±3.2	$(e)ModelEquationPloty_0r_1$	ExpDec3 y=A,×exp (-x/r_1)+A_2×exp (-x/r_2)+ A_3×exp (-x/r_3)+y_0 DeltaOD 0.00838±1.3E-4 14.2±1.81	$(f) Model Equation Plot y_0r_1$	$\begin{array}{c} {\sf ExpDec3} \\ y = A_1 \times \exp{(-x/r_1) + A_2 \times \exp{(-x/r_2) + } \\ A_3 \times \exp{(-x/r_3) + y_6} \\ \\ {\sf DeltaOD} \\ 0.0059 \pm 0.0011 \\ 38.82 \pm 3.35 \end{array}$	
$(d)ModelEquationPloty_0r_1r_2$	ExpDec3 y=A,*exp(-x/r,)+A,*exp(-x/r_2)+ A_3*exp(-x/r_3)+y_0 DeltaOD 0.0072±0.0025 45.14±3.2 470.9±92.9	$(e)ModelEquationPloty_0\tau_1\tau_2$	ExpDec3 y=A,×exp (-x/r <sub>1</sub> )+A <sub>2</sub> ×exp (-x/r <sub>2</sub> )+ A <sub>3</sub> ×exp (-x/r <sub>3</sub> )+y <sub>0</sub> DeltaOD 0.00838±1.3E-4 14.2±1.81 269±5.10	$(f) Model Equation Plot y_0r_1r_2$	ExpDec3 $y=A_1 \times \exp(-x/\tau_1)+A_2 \times \exp(-x/\tau_2)+A_3 \times \exp(-x/\tau_3)+y_0$ DeltaOD   0.0059±0.0011   38.82±3.35   573±85.24	
	ExpDec3 y=A,*exp(-x/r,)+A,*exp(-x/r_2)+ A_3*exp(-x/r_3)+y_0 DeltaOD 0.0072±0.0025 45.14±3.2 470.9±92.9 500±0		ExpDec3 y=A,×exp (-x/r,)+A_2×exp (-x/r_2)+ A_3×exp (-x/r_3)+y_0 DeltaOD 0.00838±1.3E-4 14.2±1.81 269±5.10 933±0		ExpDec3 $y=A_1 \times \exp(-x/\tau_1)+A_2 \times \exp(-x/\tau_2)+A_3 \times \exp(-x/\tau_3)+y_0$ DeltaOD   0.0059±0.0011   38.82±3.35   573±85.24   1200±0	

# Table S2 | Fitting analysis at 180 K for PTAA/CH<sub>3</sub>NH<sub>3</sub>PbI<sub>3</sub> configuration. (a) The optimum fitting. (b) $y_0$ and $r_1$ are fixed. (c) $r_2$ is fixed, and (d–f) $r_3$ is fixed.

(a)Model	ExpDec3	(b)Model	ExpDec3	(c)Model	ExpDec3
Equation	$y=A_1 \times \exp(-x/\tau_1)+A_2 \times \exp(-x/\tau_2)+A_3 \times \exp(-x/\tau_3)+y_0$	Equation	$y=A_1 \times \exp(-x/\tau_1)+A_2 \times \exp(-x/\tau_2)+A_3 \times \exp(-x/\tau_3)+y_0$	Equation	$y=A_1 \times \exp(-x/\tau_1)+A_2 \times \exp(-x/\tau_2)+A_3 \times \exp(-x/\tau_3)+y_0$
Plot	DeltaOD	Plot	DeltaOD	Plot	DeltaOD
<i>Y</i> <sub>0</sub>	0.001287±5.4E-4	<i>Y</i> <sub>0</sub>	0.013±0	<b>y</b> <sub>0</sub>	0.0083±0.0029
<i>T</i> <sub>1</sub>	5.7±1.95	τ <sub>1</sub>	5.7±0	<i>T</i> <sub>1</sub>	519.7±1.3E5
τ <sub>2</sub>	57±7.85	τ <sub>2</sub>	64±5.54	<b>T</b> <sub>2</sub>	57±0
<i>T</i> <sub>3</sub>	1839±12.60	<i>T</i> <sub>3</sub>	1827±10.94	<i>T</i> <sub>3</sub>	783±7.4E5
Adj. R-Square	0.9978	Adj. R-Square	0.9972	Adj. R-Square	0.9973
(d)Model	ExpDec3	(e)Model	ExpDec3	(f) Model	ExpDec3
Equation	$y=A_1 \times \exp(-x/\tau_1)+A_2 \times \exp(-x/\tau_2)+A_3 \times \exp(-x/\tau_3)+y_0$	Equation	$y=A_1 \times \exp(-x/\tau_1)+A_2 \times \exp(-x/\tau_2)+A_3 \times \exp(-x/\tau_3)+y_0$	Equation	$y=A_1 \times \exp(-x/r_1)+A_2 \times \exp(-x/r_2)+A_3 \times \exp(-x/r_3)+y_0$
Plot	DeltaOD	Plot	DeltaOD	Plot	DeltaOD
<i>Y</i> <sub>0</sub>	0.0069±0.0015	<i>Y</i> <sub>0</sub>	0.001289±1.9E-4	<b>y</b> <sub>0</sub>	0.0084±0.0021
<i>T</i> <sub>1</sub>	45.14±3.2	τ <sub>1</sub>	5.1±1.81	<i>T</i> <sub>1</sub>	129.22±5.91
T <sub>2</sub>	470.9±92.9	<b>T</b> 2	56.8±3.90	T <sub>2</sub>	673±126.91
<i>T</i> <sub>3</sub>	1200±0	<b>T</b> <sub>3</sub>	1839±0	<i>T</i> <sub>3</sub>	2500±0
Adj. R-Square	0.9976	Adj. R-Square	0.9978	Adj. R-Square	0.9970

#### Table S3 | Lower and upper limits for time components for PEDOT:PSS/CH<sub>3</sub>NH<sub>3</sub>Pbl<sub>3</sub> architecture.

	Lower limit	Upper limit		
Уо	Fixed at 0.009			
<i>r</i> <sub>1</sub> (ps)	12.7	16.7		
<i>r</i> <sub>2</sub> (ps)	258	274		
<i>r</i> <sub>3</sub> (ps)	920	946		

#### Table S4 | Lower and upper limits for time components for PTAA/CH<sub>3</sub>NH<sub>3</sub>Pbl<sub>3</sub> architecture.

	Lower limit	Upper limit			
Уо	Fixed at 0.013				
<i>r</i> <sub>1</sub> (ps)	3.7	7.7			
<i>r</i> <sub>2</sub> (ps)	49	65			
<i>r</i> <sub>3</sub> (ps)	1826	1852			

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of  $\tau_1$  at values that are physically explainable. The lower and upper limits of  $\tau_1$  take values for  $\tau_2$  and  $\tau_3$ . If they are not realistic, we further reduce the upper and lower limits of  $\tau_1$ , until we reach the value range of  $\tau_1$  that gives realistic results for  $\tau_2$ ,  $\tau_3$ . So, the  $\tau_1$  value gives me the error for  $\tau_2$  and  $\tau_3$  time components. In this way, we have an empirical adaptation that has a physical explanation and is actually shifted.

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